



SNS COLLEGE OF TECHNOLOGY

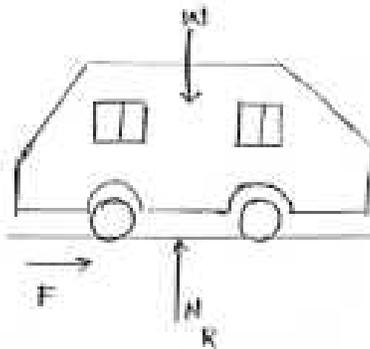
(An Autonomous Institution)

COIMBATORE-35



DEPARTMENT OF MECHANICAL ENGINEERING

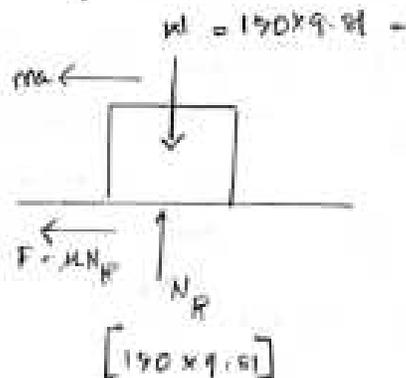
A car of mass 150 kg is travelling on a horizontal track of mass at 36 km/hour. Determine the time needed to stop the car. The coefficient of friction between the tyres and the road is 0.45



Apply the following method

- i) Impulse - momentum equation $[m.u - Ft = mv]$
- ii) D'Alembert's principle $[F = ma]$
- iii) Work - Energy method $[Fs = \frac{1}{2}m(v^2 - u^2)]$

Free body diagram.



Given mass

$$m = 150 \text{ kg}$$

$$\text{Weight } W = 150 \times 9.81 = 1471.5 \text{ N}$$

$$u = 36 \text{ km/hr} = 36 \times \frac{1000}{60 \times 60} \\ = 10 \text{ m/s}$$

$$F = \mu \times N_R \quad [N_R = W] \\ = 0.45 \times 150 \times 9.81 \\ = 662.17 \text{ N}$$

$$mu - Ft = mv \\ 150 \times 10 - 662.17t = 150 \times v$$

[$v = 0$ \Rightarrow The car is brought to rest]

$$150 \times 10 - 662.17t = 0$$

$$1500 = 662.17t$$

$$\frac{1500}{662.17} = t$$

$$t = 2.265 \text{ sec}$$

D) D'Alembert's principle [Impulse force act on the opposite direction to stop the car \Rightarrow hence indicating the force is $-va$]

$$-F - ma = 0$$

$$-(\mu \times N_R) - ma = 0$$

$$-(0.45 \times 150 \times 9.81) - 150a = 0$$

$$-662.17 - 150a = 0$$

$$-662.17 = 150a$$

$$- \frac{662.17}{150} = a$$

$$a = -4.41 \text{ m/s}^2$$

find t :

$$v = u + at$$

$$0 = 10 + (-4.41)t$$

$$-10 = -4.41t$$

$$\frac{10}{4.41} = t$$

$$t = 2.26 \text{ sec}$$

iii) Work Energy method.

$$Fs = \frac{M}{2g} (v^2 - u^2)$$

$$F = M \times N_f = (0.47 \times 150 \times 9.81)$$

$$0.47 \times 150 \times 9.81 \times s = \frac{150 \times 9.81}{2 \times 9.81} (0 - 10^2)$$

$$662.17 \times s = \frac{150 \times 9.81}{2 \times 9.81} \times 100$$

$$s = \frac{150 \times 9.81 \times 100}{2 \times 9.81 \times 662.17}$$

$$s = 11.32 \text{ m}$$

$$V^2 = u^2 + 2as$$

$$0 = 10^2 + 2 \times (-9.81) \times s \quad 2 \times 9.81 \times 11.32$$

$$a = 9.81 \text{ m/s}^2$$

To find 't'

$$v = u + at$$

$$0 = 10 + (-9.81)t$$

$$t = 1.02 \text{ sec}$$