



(An Autonomous Institution)
Coimbatore–641035
DEPARTMENT OF MATHEMATICS
Regression

Regression: -

Heights of father and son is given in cm.

x (ht of jather)	150	152	15.5	157	160	161	164	166
y (ht of son)	154	156	158	159	160	162	16)	164

Find 2 Reg line ox. calculated expected average height of the son when the height of father is 154 cm.

Ans:-

$$x \text{ on } y$$

$$(x-\overline{x}) = bxy(y-\overline{y})$$

$$bxy = y \frac{\partial x}{\partial y}$$

$$y \text{ on } X$$

$$(y-\overline{y}) = byx (x-\overline{x})$$

$$byx = \sqrt[3]{\sigma y}$$

[Type text]





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$$bxy = \sqrt[3]{5x} = (0.9669)(\frac{5.2782}{(3.0311)}$$

$$byx = 8 \frac{04}{0x} = (0.9669) \frac{(3.0311)}{(5.2782)}$$

X OM Y

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2





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Yon x

Expected average height of the son when the reight of father is 154 cm.

Average height of the son is 156.98 cm.





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Correlation: -

Note:

Let
$$x$$
 on y

$$ax + by = C$$

$$ax = c - by$$

$$x = \frac{c}{a} - \frac{b}{a}y$$

$$bxy = -\frac{b}{a}$$

$$ax + by = c$$

$$by = c - ax$$

* Find byr. bxy it is greater than I

our assumption is wrong, reverse & proceed





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In a correlation analysis the equation are 3x+12y=19, 3y+9x=46. Find correlation to effecient 2 near value of $x \neq y$.

Solo:

$$\chi = -\frac{124 + 19}{3}$$

Yon X

$$y = \frac{46}{3} - \frac{9x}{3}$$

$$bxy \cdot byx = (-4)(-3)$$
= 12 > 1





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let x on y

$$\chi = \frac{46}{9} - \frac{3}{9} y$$

let yon X

$$y = \frac{19}{12} - \frac{3}{12} x$$

bxy byx = (-3/9)(-3/12) = (-1/3)(-1/4)





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To find mean:
$$3\overline{x} + 12\overline{y} = 19$$

$$3\overline{y} + 9\overline{x} = 46$$

$$\overline{x} = 5$$

$$\overline{y} = 0.33$$